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5. [5 pts] Consider crate C from the previous question where the rope is horizontal. The mass of the crate 50 kg, the coefficients of static and kinetic friction with the ground are $\mu_s = 0.4$ and $\mu_k = 0.3$ and the tension in the rope is 250 N. What is the force of friction acting on the crate? <i>Hint:</i> Is the applied tension big enough to overcome maximum static friction?						
	A. 100 N	Did we exceed fs, m	simax? fsimax = usn = usm	9		
	B. 250 N		= (0,4) (50	ha)(9.8 =)		
	C. 200 N D. 150 N	Terrion = 250N>	196N = 196N	3- ·		
	E. 50 N	$k_{mg} = (0.3)(50 k_{s})(0)$	9.8 <u>~</u> )			
	Use the following situation to answer the next two questions. $= 150 \text{ N}$					
	Two blocks, A an string running ov table, and block	nd B, are connected by a massless ine er a frictionless pully with block A p B hanging over the edge of a table.	extensible olaced on the A			
6.	[5 pts] The surface friction prevents force of friction be equal to the weig	ce of the table is rough so that the for block A from moving. Is the magnitu by the table on block A greater than, he hanging block B?	rce of static ude of that less than or	В		
	A. Greater t	han No motion =>	$\vec{F}_{ref} = \vec{F}_{ref} = \sigma$			
	<ul><li>B. Less that</li><li>C. Equal to</li></ul>	$F_{ret,A} = T - f_s =$	O=) T=fs j Fret, B= -	T-WEB=C		
	D. Not poss	ible to answer without knowing the n	masses. $\Rightarrow T = f_s = \omega_{E}$	13		
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7. [5 pts] We now repeat the same experiment in the previous question but replace the rough table with a frictionless one. Choose the expression representing Newton's second law applied to block B, where T is the magnitude of tension in the string and a is the magnitude of acceleration of the system.

A. $T = m_B a$ B. $T = m_A q + m_B q$	No fuction => à pointe down bars
C. $m_Bg - T = m_Ba$ D. $m_Bg + T = m_Ba$	$ = T - \omega_{EB} = m_B(-a) ; \omega_{EB} = m_B g$
E. $m_B a = m_B g$	$=) T - mg = -m_{B}a$
	$=) -7 + m_{13}g = m_{13}a$

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8.	[5 pts]	Which one of the following com	rrectly describes t	his problem? Do NOT neglect	air resistance.			
	A.	A. This is a high Reynold's number problem where inertial forces dominate viscous forces. $\swarrow$						
	B.	The particle accelerates for a	long time before 1	reaching its terminal speed. $ imes$				
	C.	The particle moves at free-fal	l acceleration thro	oughout its drop. 🗡				
	D.	The drag force on the particle	is proportional to	the density of air. $\times$				
	Е.	The drag force acting on the r	particle is proporti	onal with the particle's speed.				

9. [5 pts] The smoke particle has a radius of  $2.0 \times 10^{-8}m$  and a mass of  $5.0 \times 10^{-16}kg$ . At what terminal speed does that particle fall through air?

You may need some of these values: density of air is  $\rho = 1.2 \text{ kg/m}^3$ , viscosity of air is  $\eta = 1.8 \times 10^{-5} \text{Pa} \cdot \text{s}$ , drag coefficient for a spherical object is  $C_D = 0.5$ .



10. [5 pts] Two blocks are stacked on top of each other and placed on the floor. There is friction between the blocks and friction with the floor. The bottom block is pushed with a force and accelerates, as does the top block with it. What force is accelerating the top block? Both blocks move together.



- A. The force from the hand acts on both the top and bottom blocks
- B. the normal force from the bottom block acts on the top block and pushes it forward
- C. kinetic friction from the bottom block acts on the top block and pushes it forward
- D. static friction from the bottom block acts on the top block and pushes it forward
- E. none of these properly describe the situation.

## Phys114 – Section A – Autumn 2024 – Midterm Exam 2

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- 11. [5 pts] Two cars take a turn on the freeway at constant speed. Car A is on the inside and car B is on the outside of the turn, and they both complete the turn in the same time. Which car had the greatest tangential speed?  $\mathcal{D}_{t} = \frac{2\pi C}{T}$ 
  - A. Same speed
  - B. Car A was faster
  - C. Car B was faster
  - D. would need to the actual radii to make a comparison
- 12. [5 pts] You round a turn in your car with a radius of 15.0 m moving with a speed of 7.5 m/s on flat ground. What force is required to allow you to complete the turn? The car's mass is 1,200 kg.
  - A. 4.5 kN  $F_{het} = ma$ =  $mvF = (1200hg)(7.5m/s)^{2}$ r 15.0m B. 9 kN C. 700 N D. 450 N = 4500 N = 4.5 kN E. Not enough information

 $\int_{A}^{T} T_{A} = T_{B} \implies \mathcal{O}_{t,A} < \mathcal{V}_{t,B}$   $\int_{A}^{T} \langle \mathcal{V}_{B} \rangle = \mathcal{O}_{t,A} < \mathcal{V}_{t,B}$ 

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## III. Tutorial Free Response [20 pts] Explain your answer where required.



17. [4 pts] Is the net force on block A greater than, less than or equal to the net force on block C? Explain briefly.

The net force on block A is equal to the net force on C. Since the whole system is moving at constant velocity, the acceleration is zero and hence the net force on the system and each of its constituents is zero, therefore it is equal for all blocks.

18. [6 pts] Consider the following statement: "The force by block B on block C is greater than the force by block A on block B". Do you agree or disagree? Explain your answer briefly.

I disagree. Since the net force is zero on each block, the force by B on C,  $n_{BC}$ , is equal to the friction by the table on C,  $f_{TC}$ . For block B, the force by A,  $n_{AB}$ , is balanced by friction by table on A and force by C,  $f_{TB} + n_{CB}$ . And since  $n_{CB} = n_{BC}$ , we conclude that  $n_{AB}$  must be greater than  $n_{BC}$ .

19. [4 pts] Two identical blocks, *A* and *B*, each of mass *m* are connected via a massless string. The blocks are on a frictionless horizontal surface. Two hands pull on two other massless strings connected to the two blocks, as shown.

If the two-block system is accelerating to the left, rank the magnitudes of the tension forces  $\vec{T}_1, \vec{T}_2$ 

and  $\vec{T}_3$  from the smallest to greatest. No need to provide explanation.

Answer:  $T_1 > T_2 > T_3$ 

20. [6 pts] Suppose now the massless string connecting the two blocks is replaced by a rope of mass  $m_{\rm R} > 0$ . If the hands are still pulling on the other strings causing the two-block system to accelerate to the left, is the horizontal component of the tension force by block B on the rope *greater than, less than*, or *equal to* the horizontal component of the tension force by block A on the rope? Explain your answer briefly. Less than. According to Newton's second law, the net force on the rope will be proportional to its mass and points left, since the acceleration is to the left. This means that the sum of forces in the horizontal direction acting on the rope must point to the left. The forces that have horizontal components are the tension by block A on rope 2,  $T_{A2,x}$  pointing left, and the tension by block B on rope 2,  $T_{B2,x}$  pointing right. Since the net force points left, we conclude that the horizontal component of the tension to the right by block B on the rope must be less than the horizontal component of tension by A on the rope.



II. Lecture Free response [20 pts]: Show work or explain reasoning where requested.

Two blocks are connected by a massless string and pulled by another massless string as shown. A hand pulls on the string to the right. There is no friction or air resistance.



13. [8 pts] Draw free body diagrams for mass A and mass B. Use notation from the text and<br/>class.FBD mass AFBD mass B



14. [3 pts] Draw the direction of the net force on A and B in the boxes below:





15. [3 pts] Draw the direction of the acceleration of A and B in the boxes below:



16. [6 pts] It is found that the mass is moving to the *left* and <u>slowing down</u>. If the acceleration is 2.7 m/s<sup>2</sup> what is the tension in string 1 and string 2? Let  $m_{\rm B}$ =1.6 kg and  $m_{\rm A}$ =1.5  $m_{\rm B}$ .

Combine system A and B, so  $F_{\text{net}}=T_2=(m_A+m_B) a = 2.5 (1.6 \text{ kg}) 2.7 \text{ m/s}^2 = 10.8 \text{ N}$ For B:  $F_{\text{net}}=T_1=m_A a = 1.5 (1.6 \text{ kg}) 2.7 \text{ m/s}^2 = 6.48 \text{ N}$ 

$$T_1 = 6.5 \text{ N}$$
  $T_2 = 10.8 \text{ N}$